

# DISCOVERY OF THE WEAK BOSONS

# Resonance production cross sections

- **A general formula for vector resonance production:**

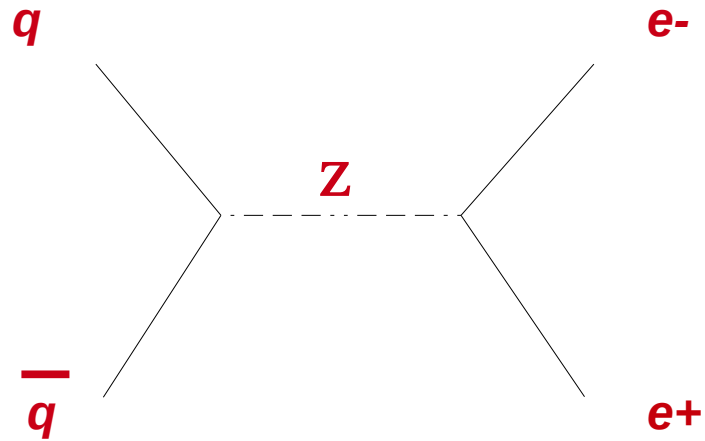
$$\sigma(s) = \frac{12\pi}{s} \frac{\Gamma_{f_1 f_2} \Gamma_{f_3 f_4}}{(s - M_0^2)^2 + s^2 \Gamma_{tot}^2 / M_0^2}$$

- where:  $\Gamma_{f_i f_j} = \Gamma_{tot} \times BR(f_i f_j)$
- **Tree level Standard Model formulae** for the widths into given fermion (of given color!):

$$\Gamma_{W \rightarrow f_i f_j} = \frac{G_F}{\sqrt{2}} \frac{M_W^3}{6\pi} \quad \Gamma_{Z \rightarrow f \bar{f}} = \frac{G_F}{\sqrt{2}} \frac{M_Z^3}{6\pi} (v_f^2 + a_f^2)$$

# Resonance production in hadron collisions

Using the example of the Z, the production process is:



- But quarks are not free! For each collision, a quark is “picked” in each hadron, carrying a momentum fraction  $x$  of the hadron energy
- Parton distribution functions were introduced in the QCD course

# Scenario of a hadron-hadron collision

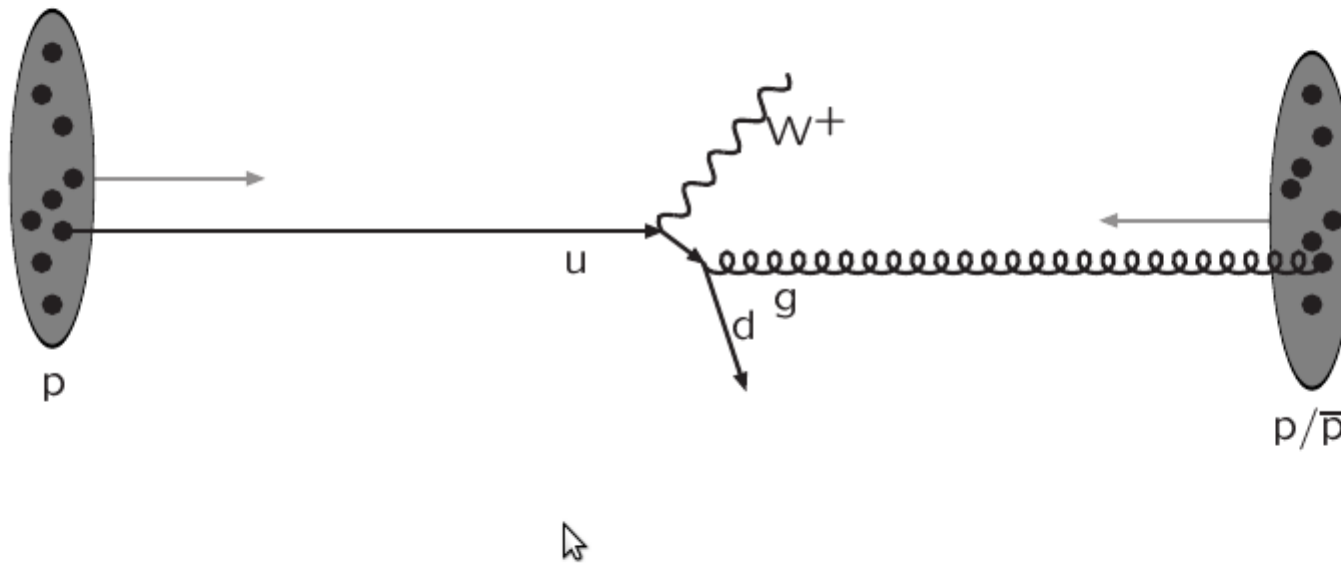
Warning: schematic only, everything simplified, nothing to scale, ...



Incoming beams: parton densities

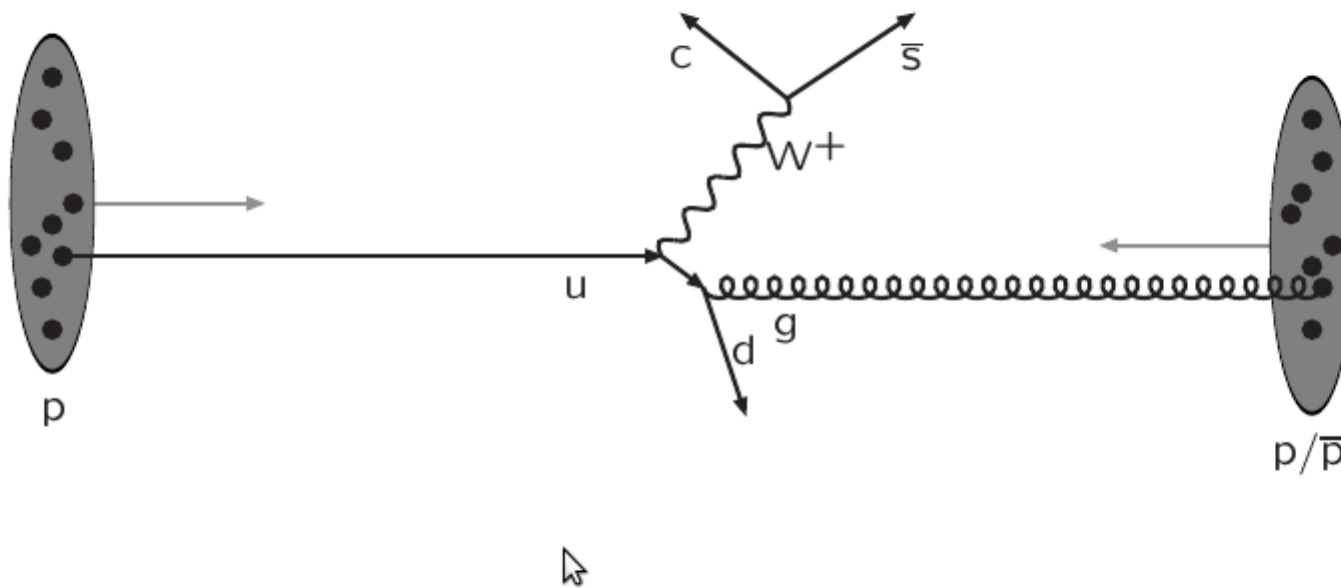
(T. Sjostrand)

# Scenario of a hadron-hadron collision



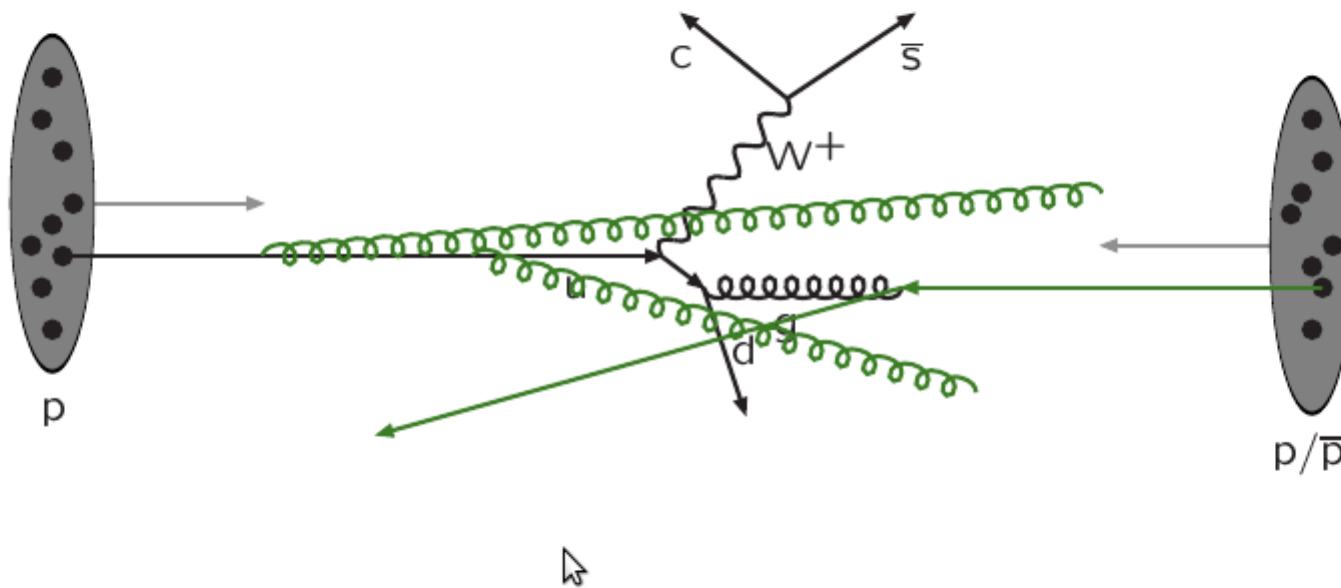
Hard subprocess: described by matrix elements

# Scenario of a hadron-hadron collision



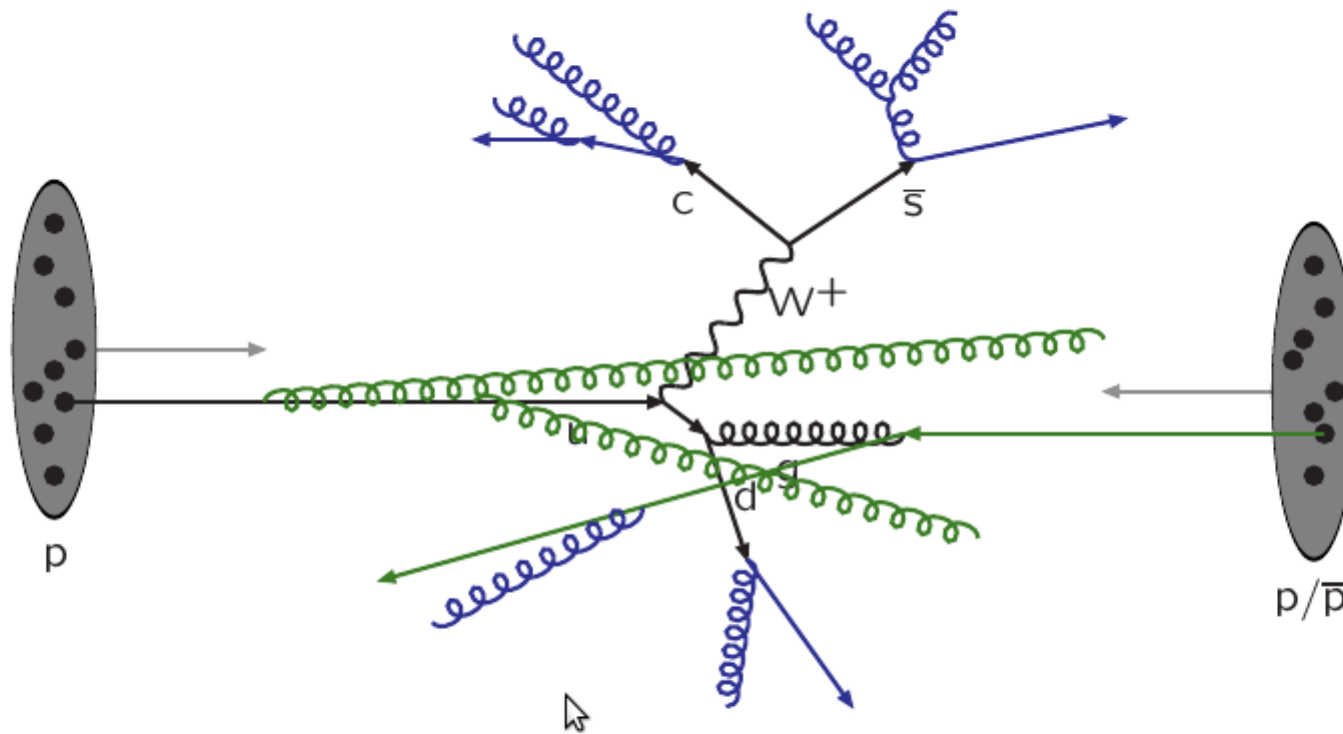
Resonance decays: correlated with hard subprocess

# Scenario of a hadron-hadron collision



Initial-state radiation: spacelike parton showers

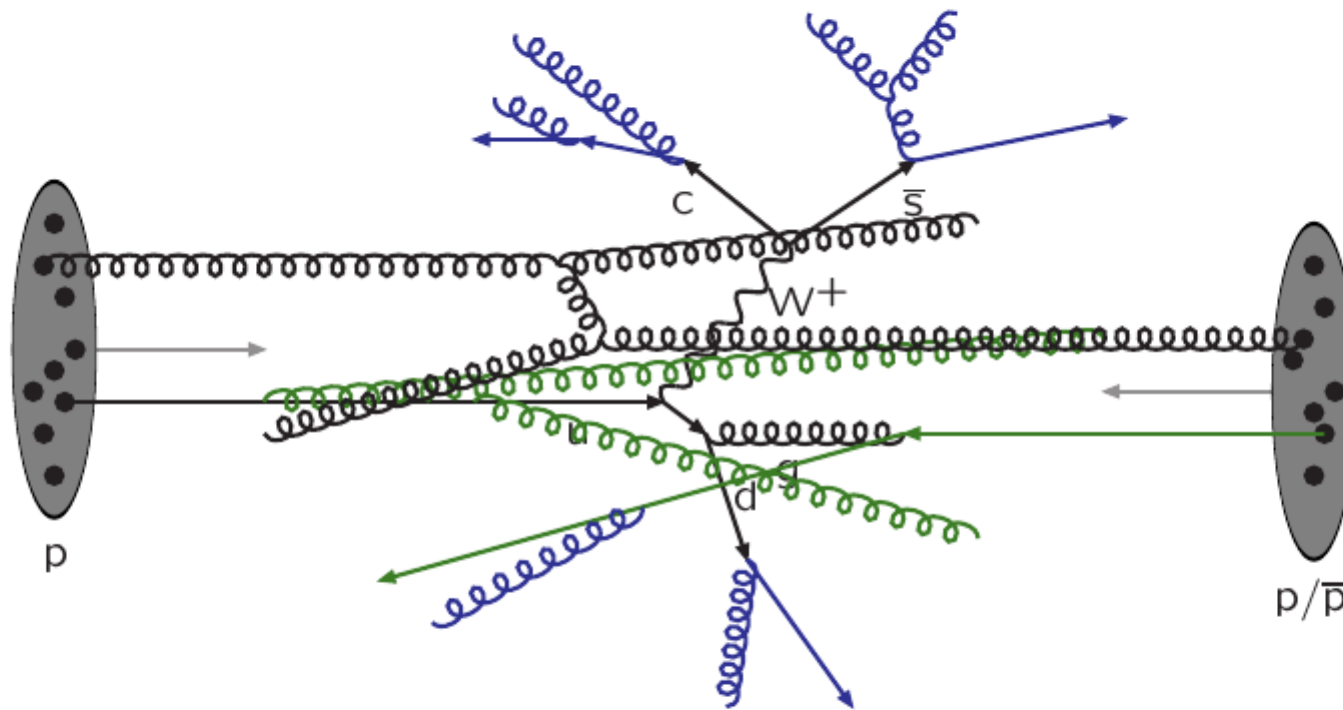
# Scenario of a hadron-hadron collision



Final-state radiation: timelike parton showers

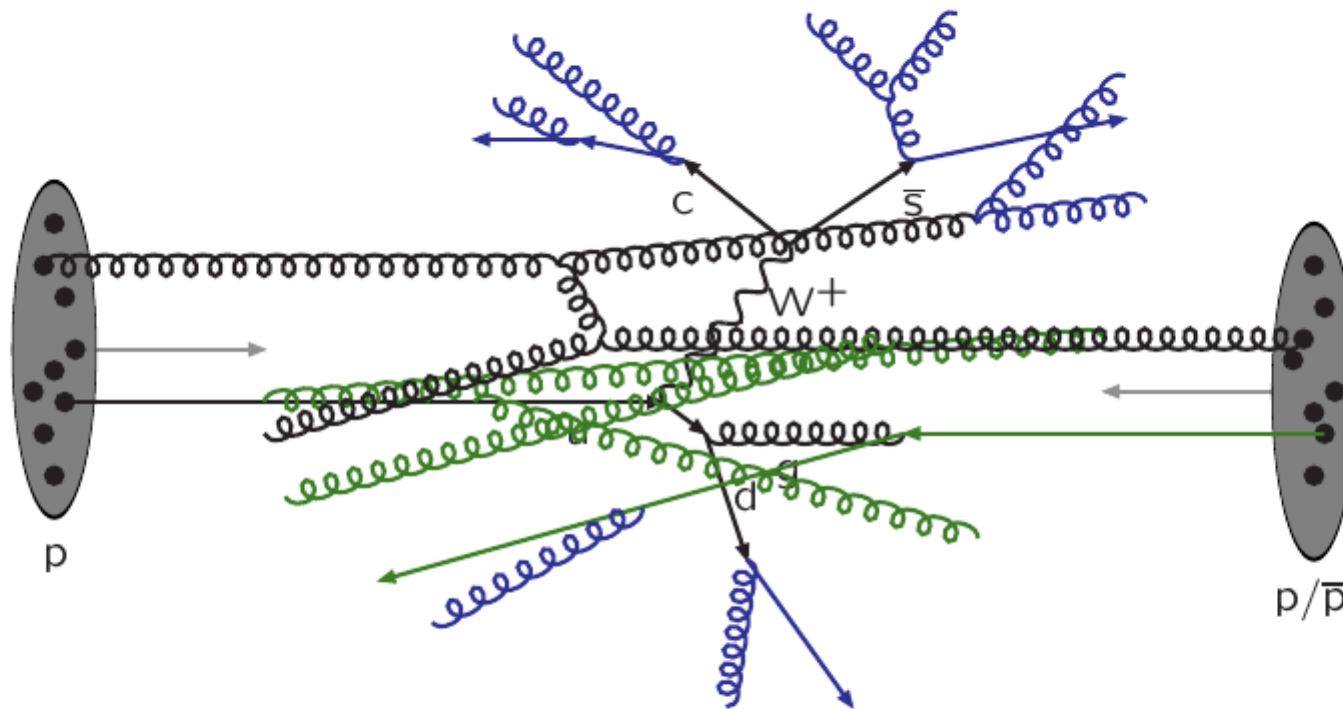


# Scenario of a hadron-hadron collision



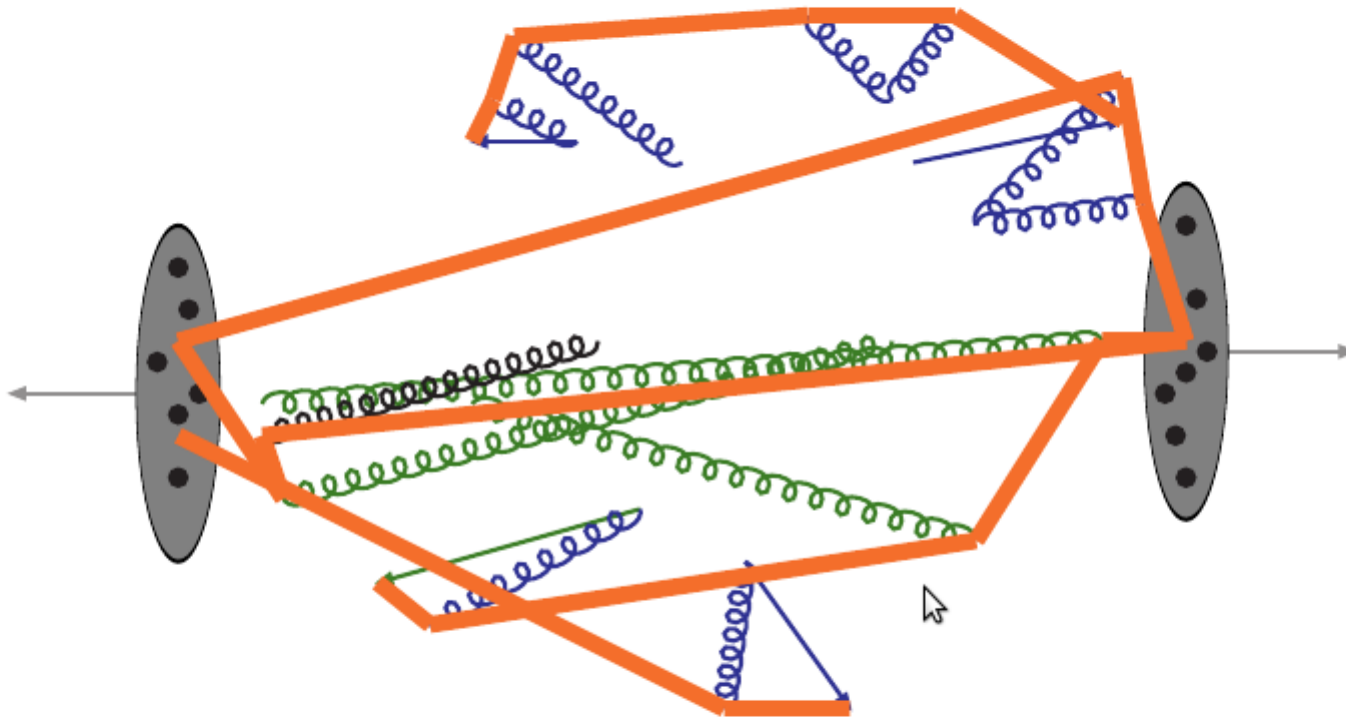
Multiple parton-parton interactions . . .

# Scenario of a hadron-hadron collision



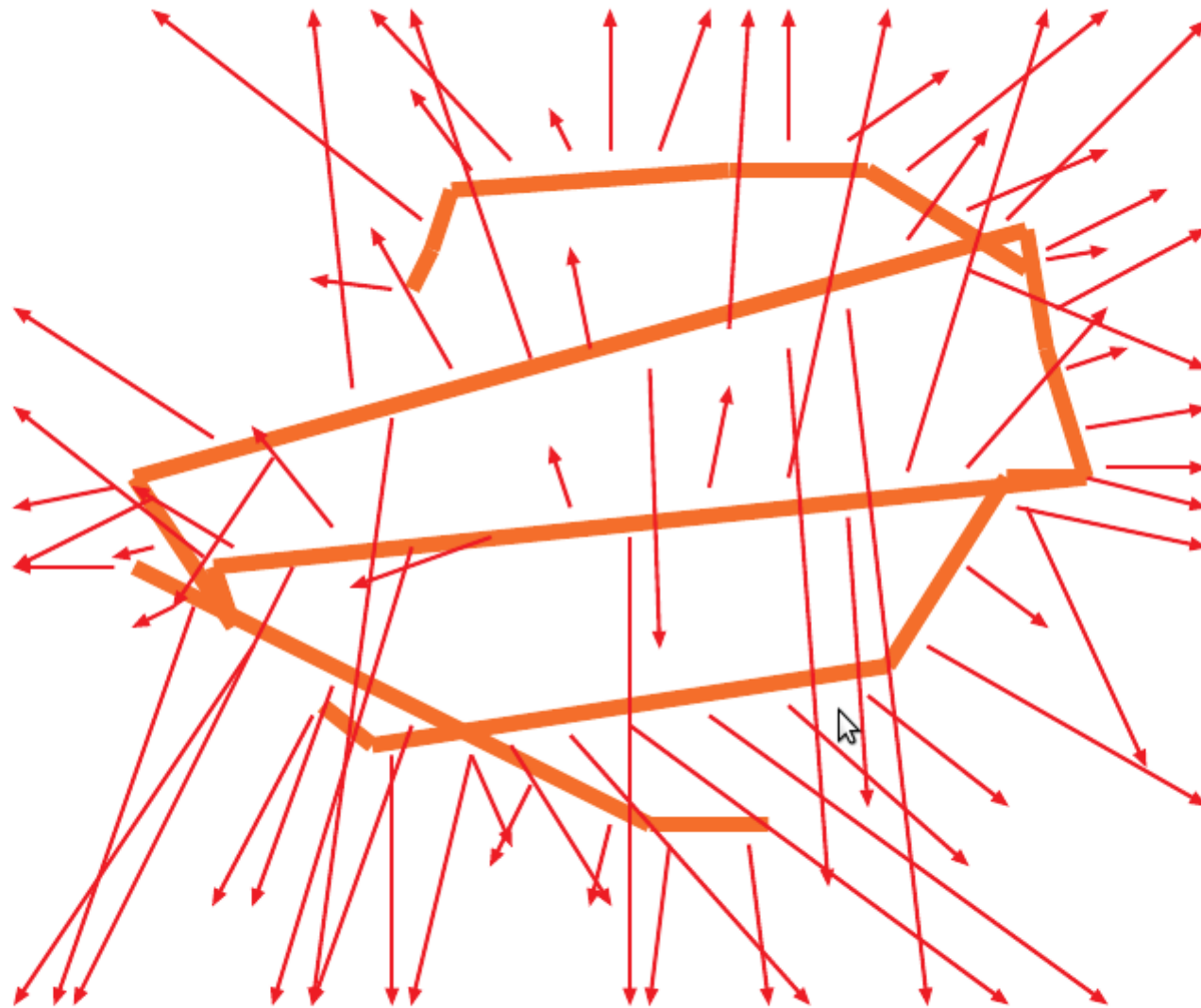
... with its initial- and final-state radiation ↴

# Scenario of a hadron-hadron collision



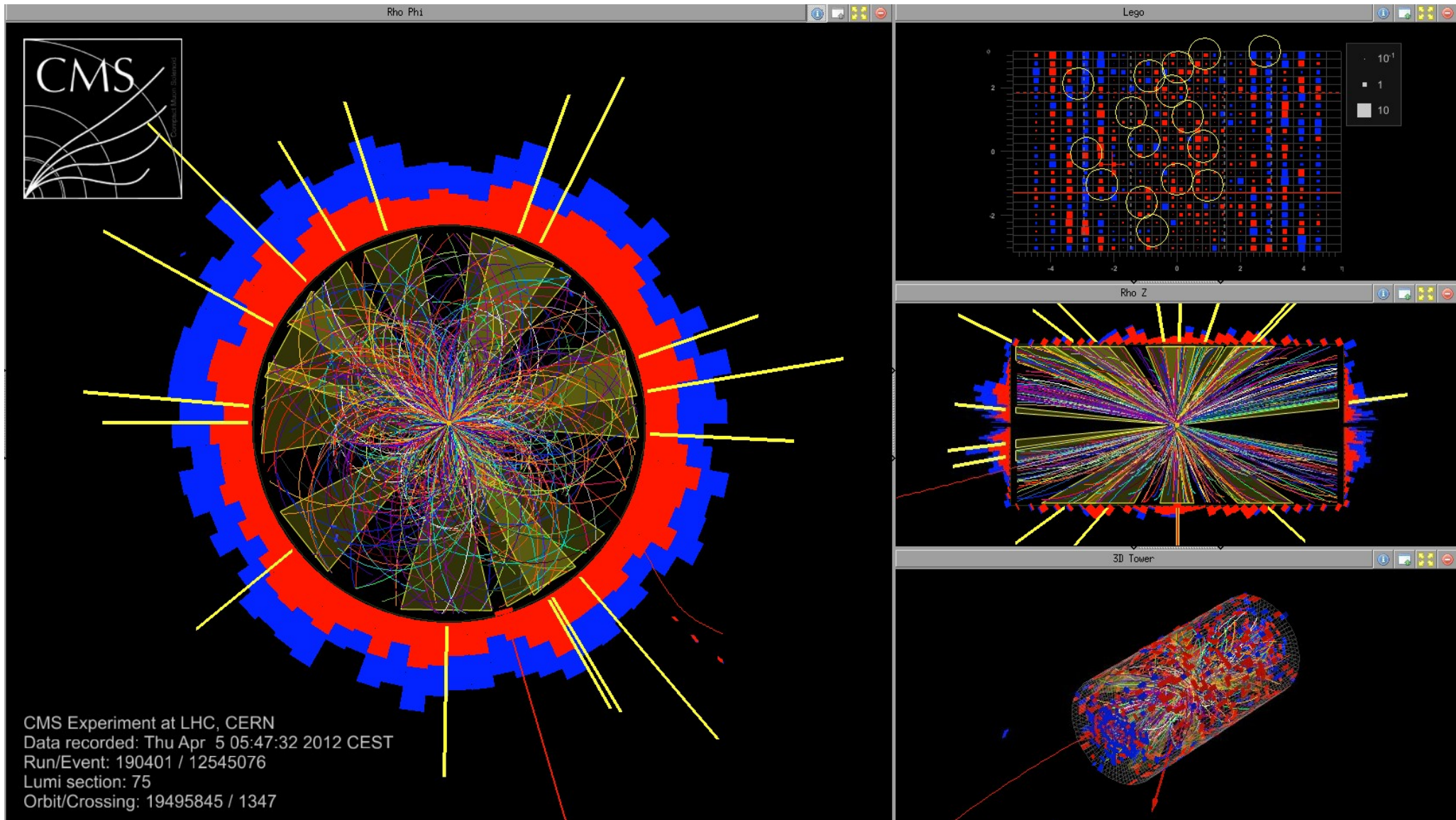
Everything is connected by colour confinement strings  
Recall! Not to scale: strings are of hadronic widths

# Scenario of a hadron-hadron collision



The strings fragment to produce primary hadrons

# A proton-proton event in CMS



# Lessons

- A hadron-hadron collision is a very complex process!  
Of interest for us in the following:
  - The “hard process” (e.g, W or Z resonance production) is accompanied by much other, mostly decorrelated activity that also leave signals in the detector
  - Colliding protons are not like protons at rest. When 2 protons move towards eachother, the quarks on each side start interacting
    - Emitting gluons :  $q \rightarrow q g$
    - The gluons then also take part in the interaction, and can split into new quarks, e.g
      - $g \rightarrow u \bar{u}$
      - $g \rightarrow d \bar{d}$
      - $g \rightarrow s \bar{s}$
      - $g \rightarrow c \bar{c}$
      - $g \rightarrow b \bar{b}$

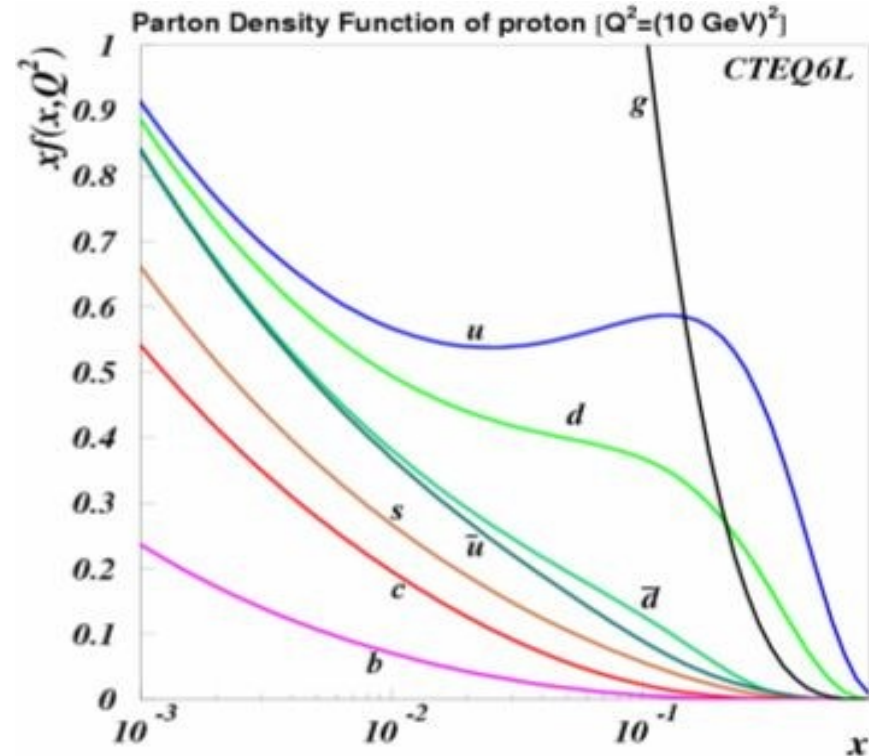
**Resulting in a complex “soup” of gluons and quarks of all flavours!**

# Resonance production in hadron collisions

- The proton can a priori contain  $u, \bar{u}, d, \bar{d}, s, \bar{s}, c, \bar{c}, g \dots$ . It has to remain a **(u,u,d)** hadron overall, implying so-called “sum-rules”, for example:

$$\int [u(x) - \bar{u}(x)] dx = 2 \quad \int [d(x) - \bar{d}(x)] dx = 1 \quad \int [s(x) - \bar{s}(x)] dx = 0$$

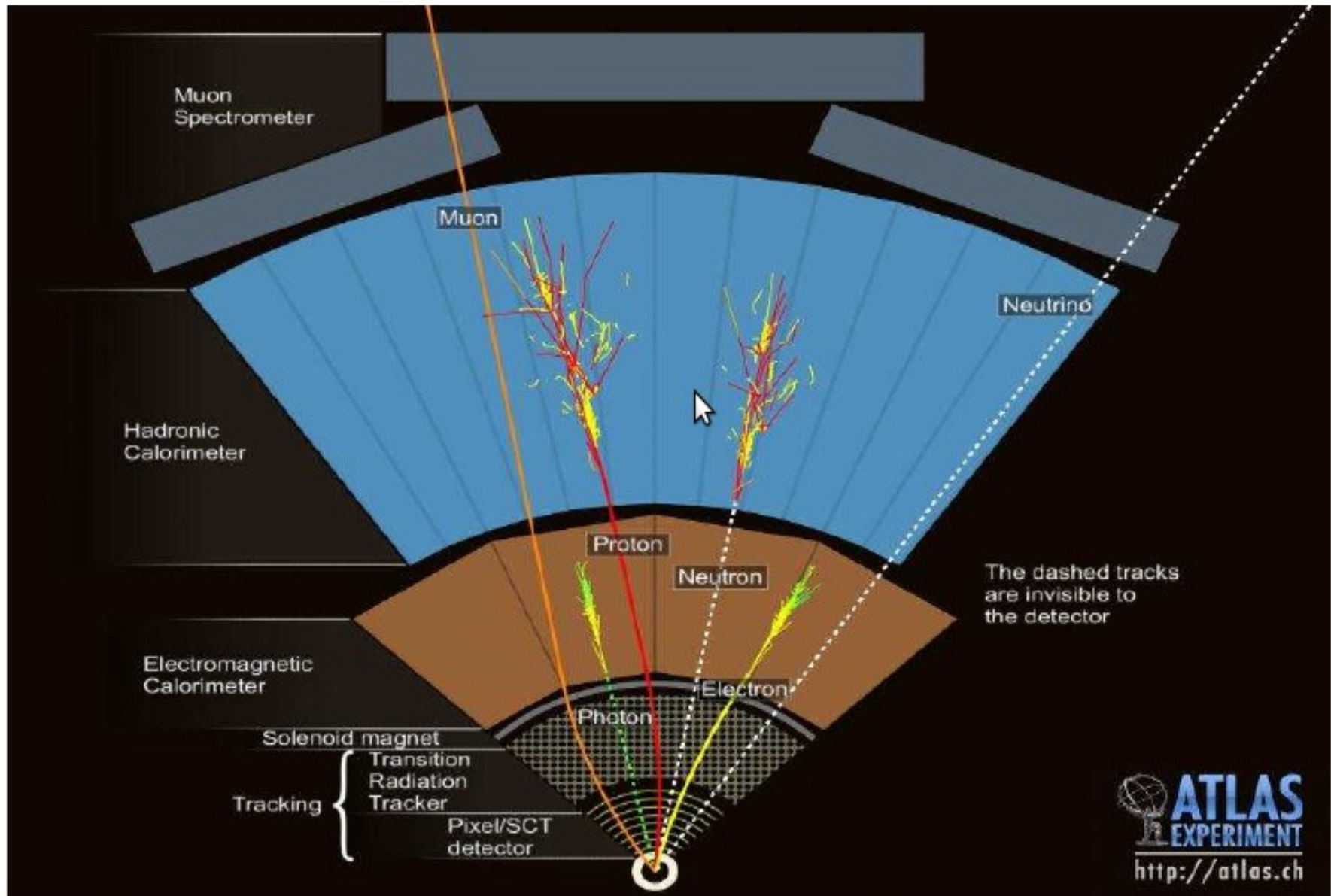
- The measured proton PDFs:  
(anti-proton PDFs obtained by c.c)



- Overall cross section:

$$\sigma = \sum_q \int dx_1 dx_2 q(x_1) \bar{q}(x_2) \sigma_{q\bar{q} \rightarrow l^+ l^-}(x_1 x_2 s)$$

# A very brief reminder of detection methods...





# Experimental set-up

- Proton and anti-proton beam, at a centre-of-mass energy of 540 GeV
- Two “multipurpose” detectors, UA1 and UA2, built around the interaction point

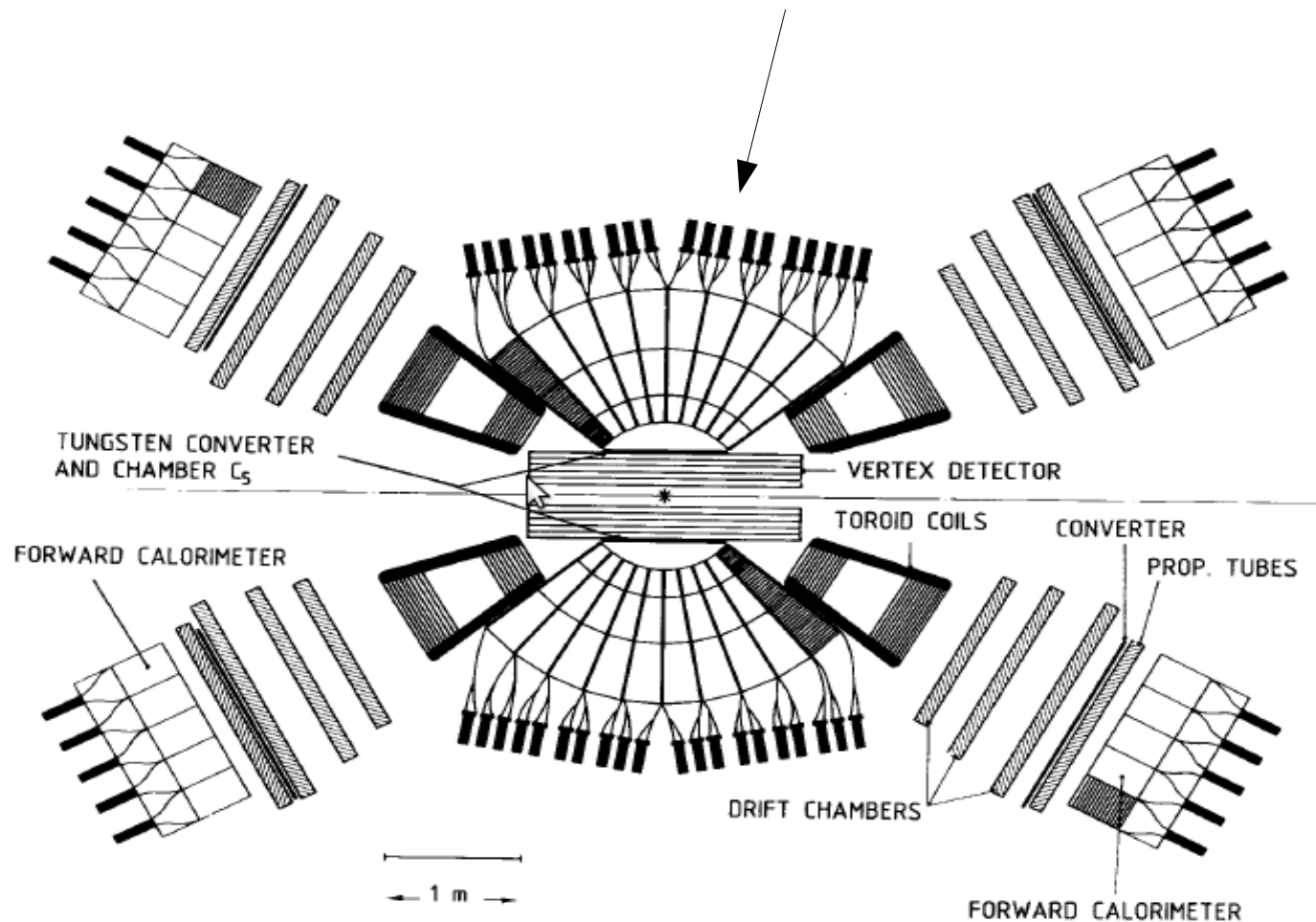
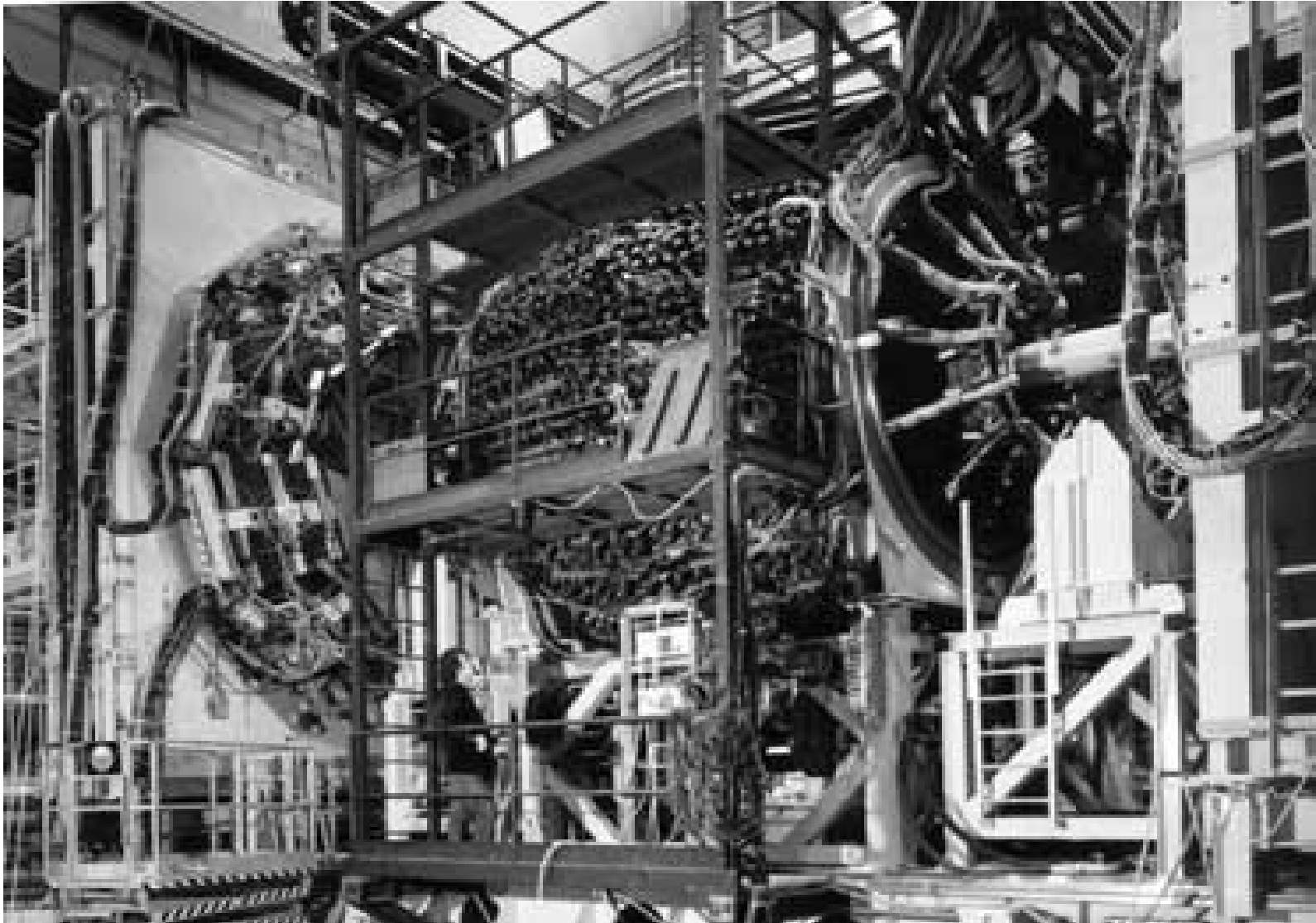


Fig. 1

# The real detector



# How to measure the W and the Z?

- **For the Z boson it is easy, at least in principle**

- Both decay leptons are measured in the calorimeters
- We can then combine their four-momenta and compute the invariant mass of the pair
- The distribution of this invariant should display a peak at the resonance. The position of the peak will give the resonance mass.

- **And for the W?**

- We measure one decay lepton; the neutrino escapes
- We can however estimate the transverse momentum of the neutrino, by summing all measured signals in the calorimeter and imposing momentum conservation in the transverse plane!

- Initial state has  $p_T = 0$ ; and momentum is conserved

- So we can use 
$$p_T(\nu) = -\sum_i \vec{p}_{T,i}$$

# How to measure the W and the Z?

- **(W continued)**

- The transverse momentum distributions of the charged lepton and neutrino are sensitive to the W boson mass!
- Suppose the W is produced with longitudinal momentum (induced by the proton PDFs), and with small transverse momentum. Then in the W rest frame we have

$$\frac{d\sigma}{d\cos\theta} \sim 1 + \cos^2\theta$$

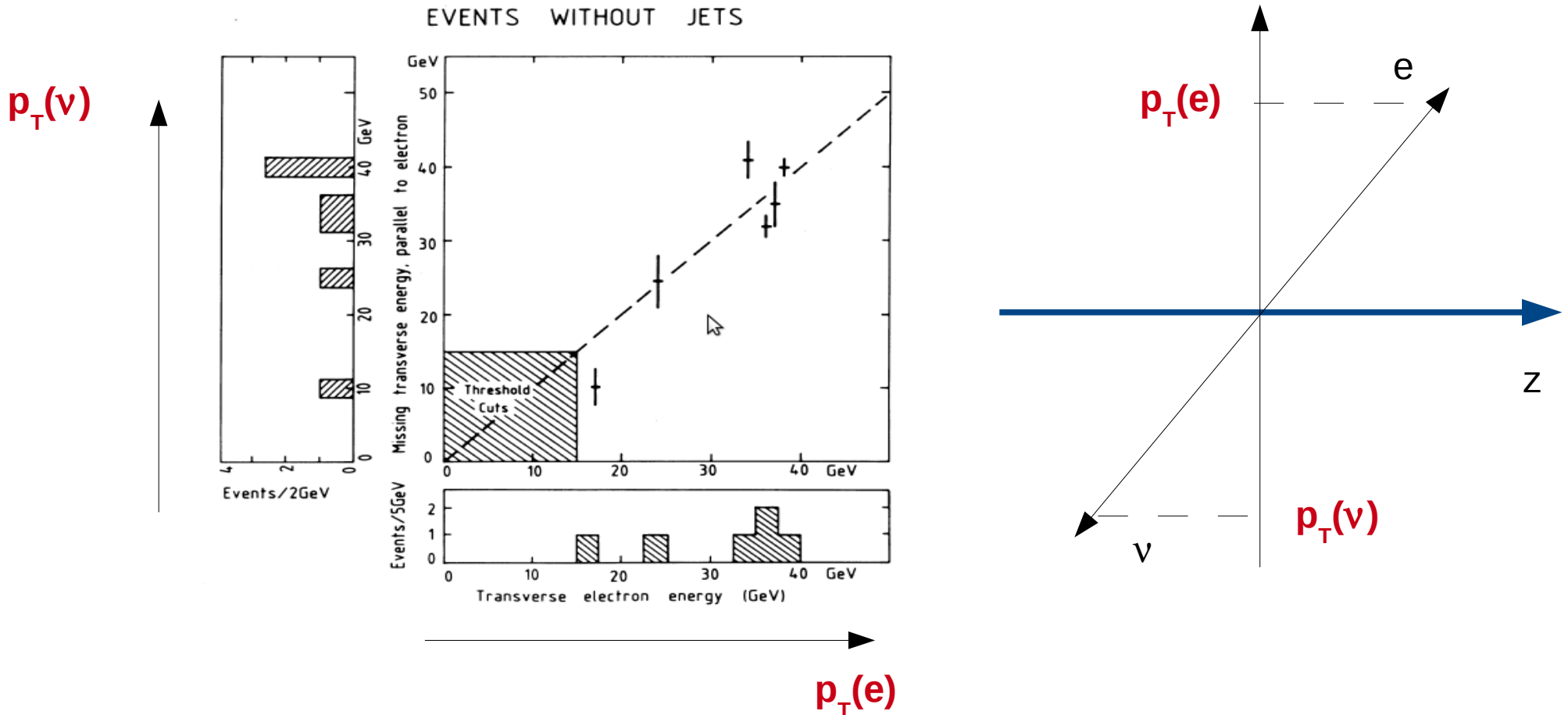
- Change variables to  $p_T = \frac{M_W}{2} \sin\theta$

and obtain :  $\frac{d\sigma}{dp_T} \sim \frac{p_T/M_W - (p_T/M_W)^3}{\sqrt{1 - (2p_T/M_W)^2}}$  diverges at  $p_T = \frac{M_W}{2}$

- Actually the divergence is cured by many effects, but a peak remains, allowing to estimate Mw from the distribution.

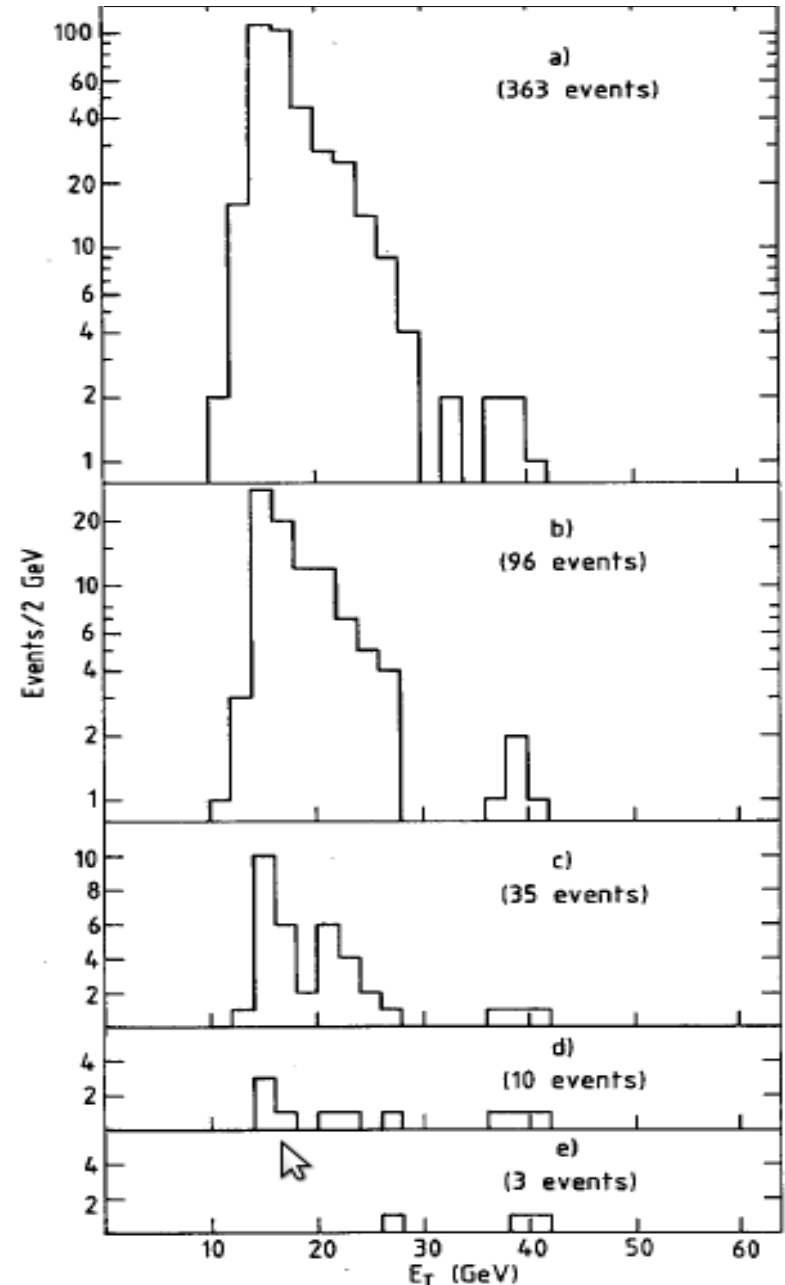
# The discovery papers : 1983

- In order of appearance!
- January 1983 : UA1 announces W discovery



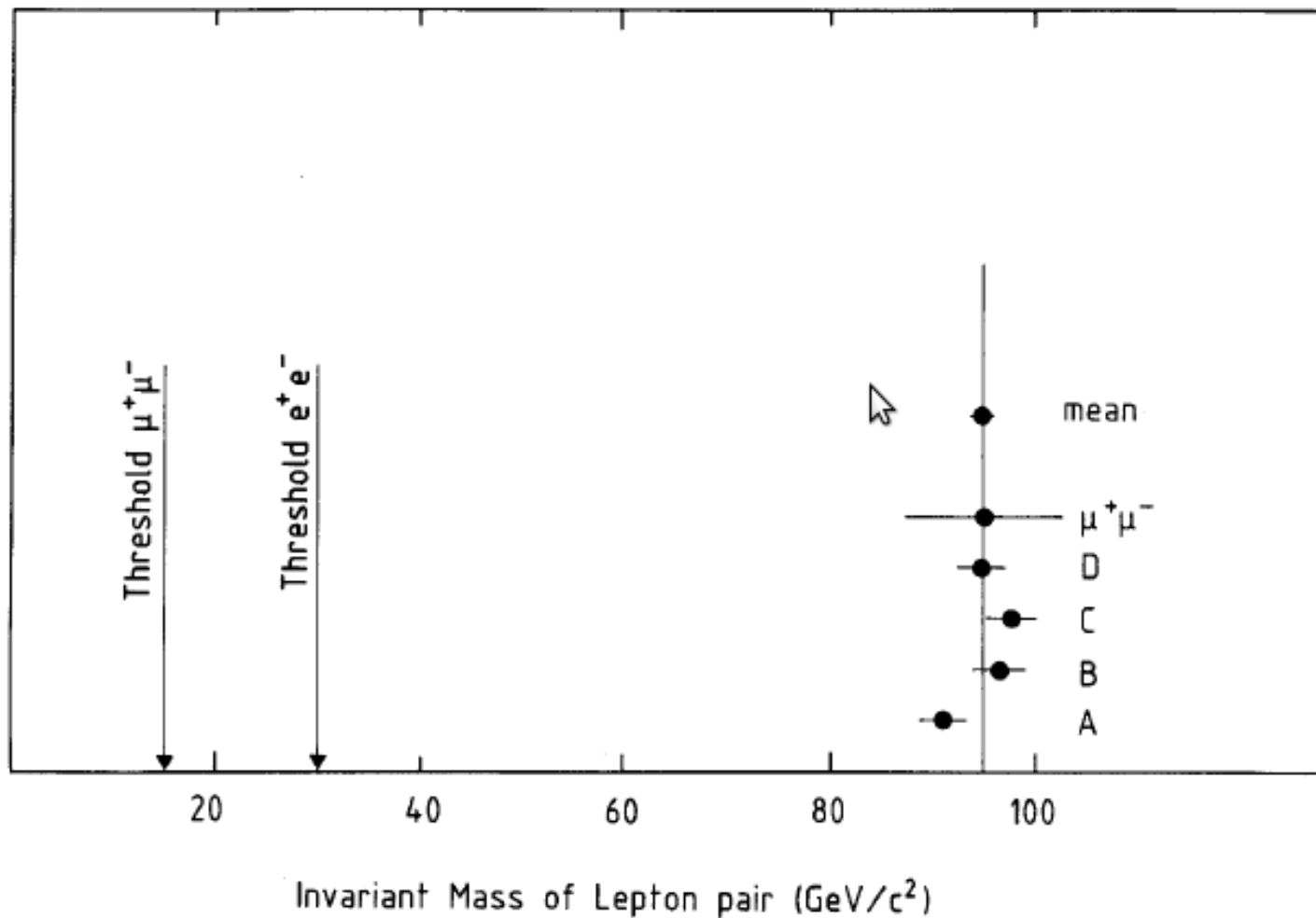
# The discovery papers : 1983

- February 1983 : UA2 announces W discovery
- Here an example of how events are selected from the background:
  - Cut 1 : selection of a high energy cluster in the EM calorimeter
  - Cut 2 : cluster matched to a track
  - Cut 3 : energy deposit in the “pre-shower” detector
  - Cut 4 : only one such deposit
  - Cut 5 : final reconstruction quality cuts



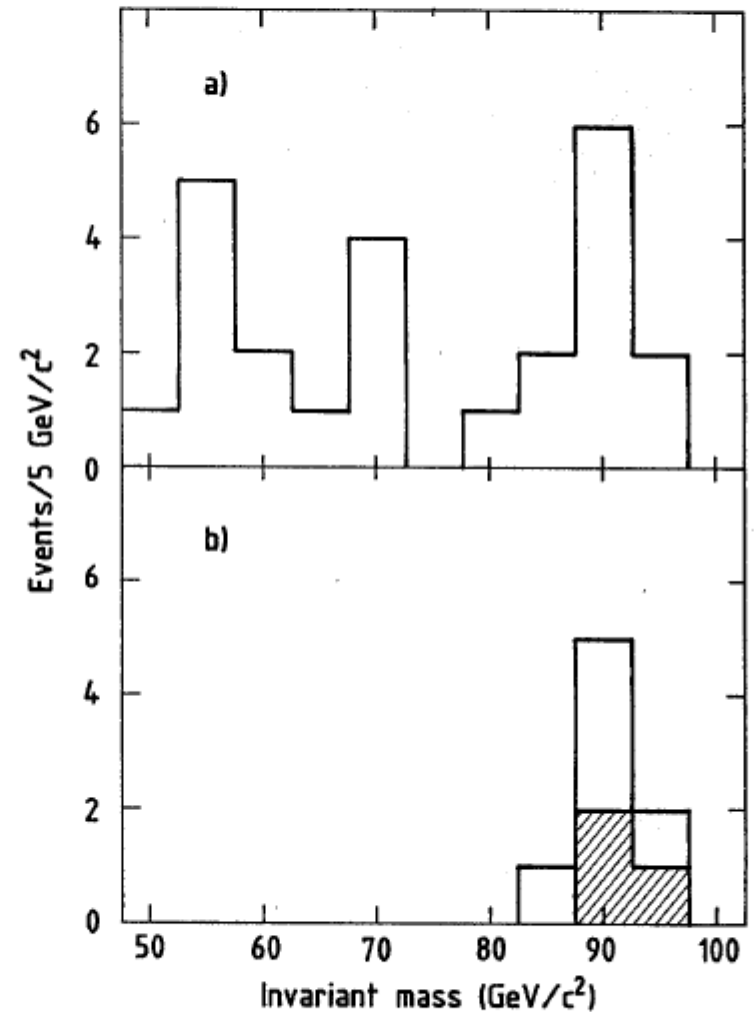
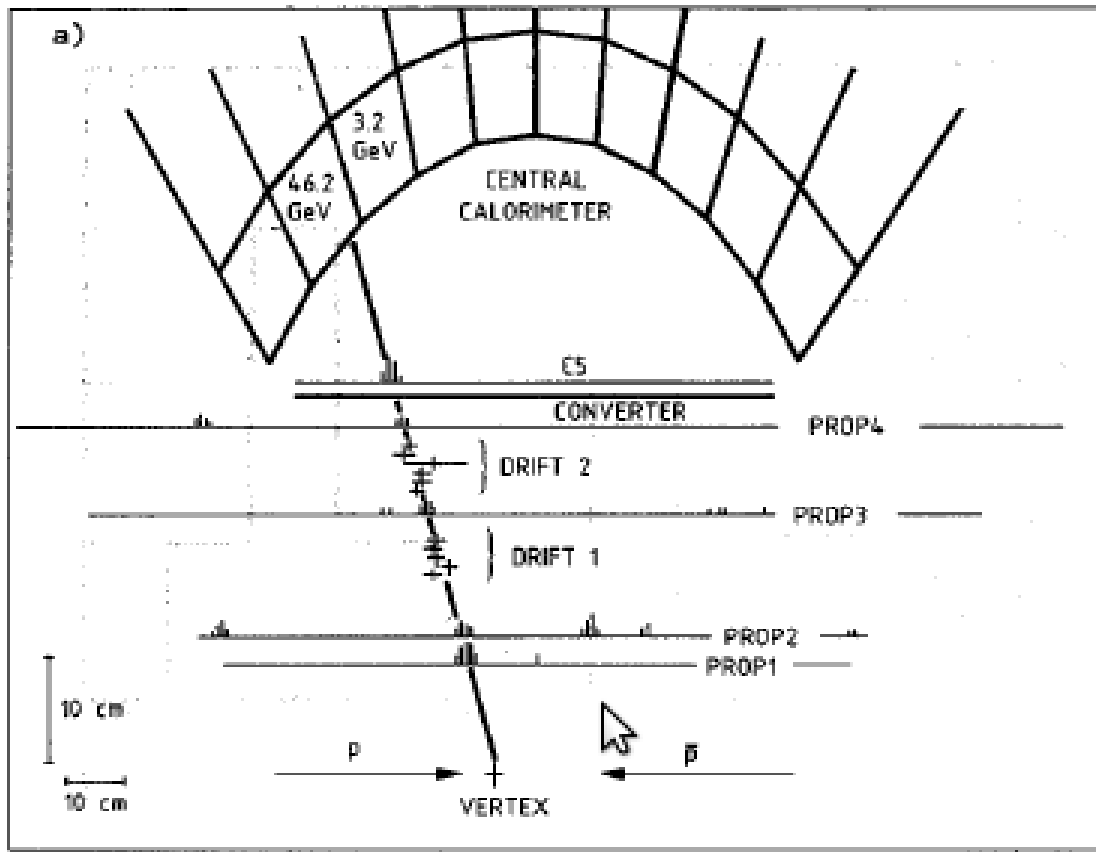
# The discovery papers : 1983

- June 1983 : Z discovery in UA1



# The discovery papers : 1983

- August 1983 : UA2 follows





# Implications / status of the SM

- Confirmation of the existence of the gauge bosons!  
Meaning : establish the pole of their propagator, in contrast to the neutrino experiments.
- Masses measured:
  - $M_W = 81 \pm 3 \text{ GeV}$
  - $M_Z = 92 \pm 2 \text{ GeV}$  in agreement with the estimation based on  $\sin^2\theta_W$
- We have now established the nature of the weak force, and confirmed the SU(2)xU(1) hypothesis. What will follow in the next decade is a thorough exploration of all possible observables, verifying consistency and searching for the missing pieces.

# First “precision tests” of the Standard Model

- Let us see if we can go further! Using the expressions given previously:

- Combining  $G_F$  and  $M_W$  provides a new measurement of  $\sin^2\theta_W$ :

$$\frac{G_F}{\sqrt{2}} = \frac{e^2}{8 \sin^2 \theta_W M_W^2} \longrightarrow \sin^2 \theta_W = 0.227 \pm 0.015$$

- We can test the  $\rho$  parameter using the independent measurements of  $M_W$ ,  $M_Z$  (the present discoveries) and  $\sin^2\theta_W$  (from the NC/CC measurement):

$$\rho = \frac{M_W^2}{M_Z^2 \cos^2 \theta_W} \longrightarrow \rho = 1.01 \pm 0.05$$

**We are already testing the Higgs sector!**